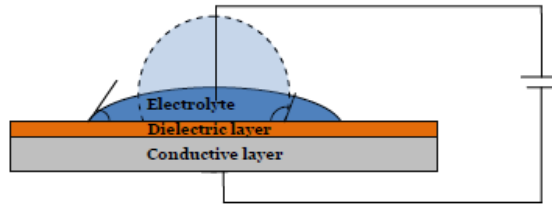


Here I Explain a bit more our objective and the results that we are obtaining:

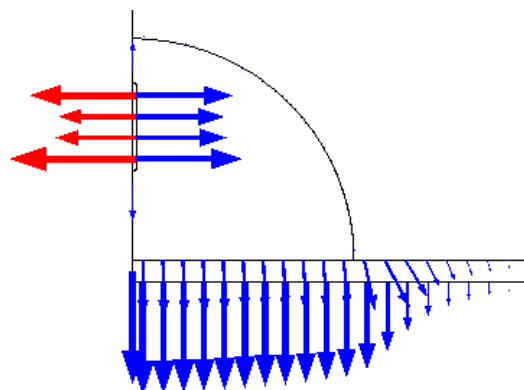
When a tension is applied on the water the contact angle should decrease in the following way:



We are using the same method than in the “Separation Through Electrocoalescence” example provided by COMSOL. The method consists on using the Maxwell stress tensor to connect the ES module and the Two-phase flow module. The resultant force  $F_x$  and  $F_y$  (or  $r$  and  $z$  in our case) is applied over the fluids with a “Volume force” boundary.

Name	Expression	Unit	Description
Ten11	$-\epsilon_0 \text{const} \cdot \epsilon_r / 2 \cdot (e_x \cdot e_x^2 + e_y \cdot e_y^2) + \epsilon_0 \text{const} \cdot \epsilon_r \cdot e_x \cdot e_x^2$	Pa	Maxwell stress tensor, 11-component
Ten22	$-\epsilon_0 \text{const} \cdot \epsilon_r / 2 \cdot (e_x \cdot e_x^2 + e_y \cdot e_y^2) + \epsilon_0 \text{const} \cdot \epsilon_r \cdot e_y \cdot e_y^2$	Pa	Maxwell stress tensor, 22-component
Ten12	$\epsilon_0 \text{const} \cdot \epsilon_r \cdot e_x \cdot e_y$	Pa	Maxwell stress tensor, 12-component
Ten21	$\epsilon_0 \text{const} \cdot \epsilon_r \cdot e_x \cdot e_y$	Pa	Maxwell stress tensor, 21-component
$F_x$	$d(\text{Ten11}, x) + d(\text{Ten12}, y)$	$\text{N/m}^2$	Force, x-component
$F_y$	$d(\text{Ten21}, x) + d(\text{Ten22}, y)$	$\text{N/m}^2$	Force, y-component
$\epsilon_r$	$\text{pf.Vf1} \cdot \text{perm\_water} + \text{pf.Vf2} \cdot \text{perm\_oil}$		Phase dependent permittivity

We are obtaining the opposite behavior. The resultant force (red arrows) is inverted no matter how we apply the voltage. The electric field (blue arrows) is correct.



In the following graph the interface (red line) is seen after 0.1 s of applying 200 V (the drop is contracting).

Time=0.1 s Surface: Volume fraction of fluid 1 (1)  
Contour: Volume fraction of fluid 1 (1)

