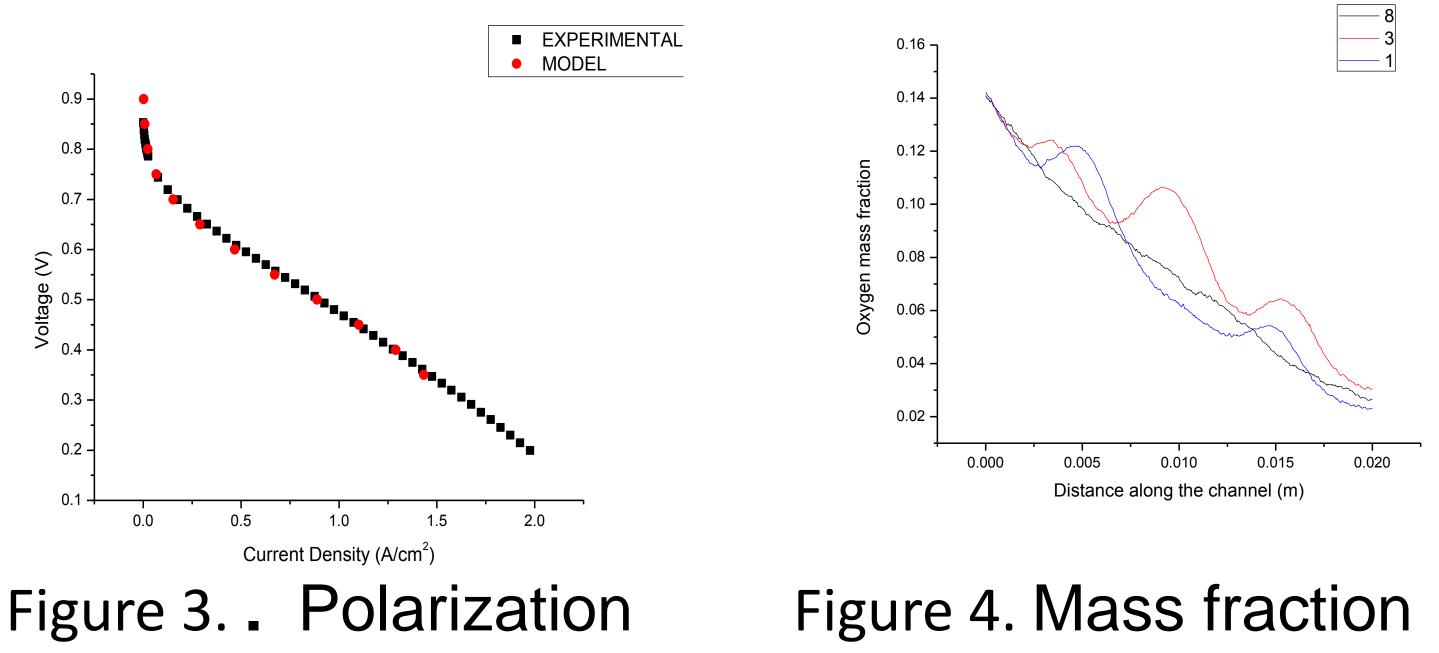
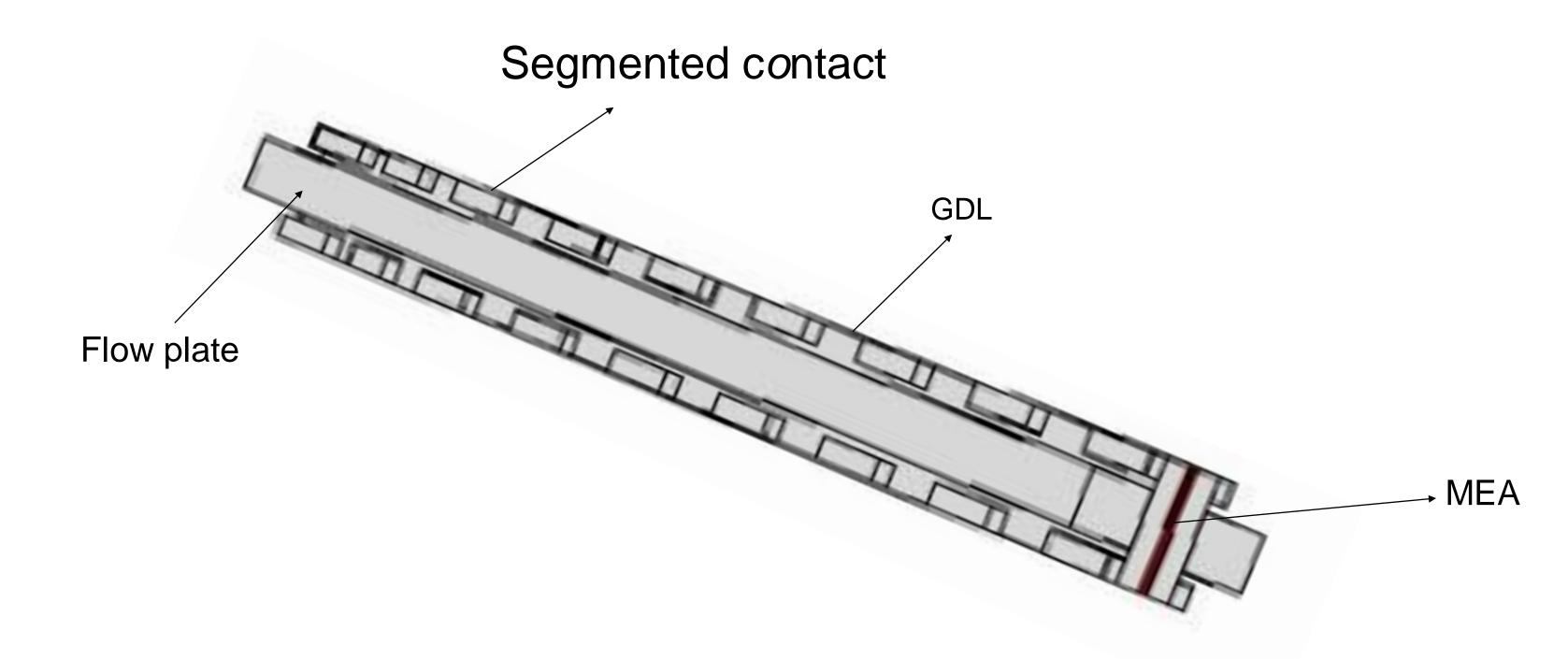
Miniature Fuel Cell Performance with Segmented Contacts P. Ramesh ^{1*}, S.P. Duttagupta¹, A. Soman², N.G. Thoppan³, V. Sukumaran⁴ IIT Bombay¹,College of Engineering Munnar² *Department of Electrical Engineering, IIT Bombay, 400006

Introduction: : PEMFCs are very promising for both mobile and mid-power stationary applications. . As Silicon used in the miniature fuel cell is not a good conductor of electricity, electrical contacts has to be attached to the GDL to draw power. Here we build a 3D model and 7 different ways of attaching the contacts to the GDL is studied using COMSOL Multiphysics.





plot for experimental and modelling results

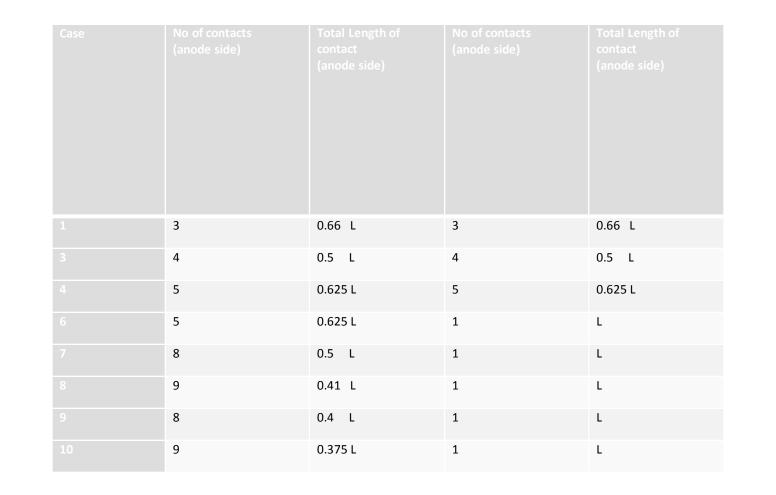


Table 1. Schemes of Current Collection

variation along the length in GDL

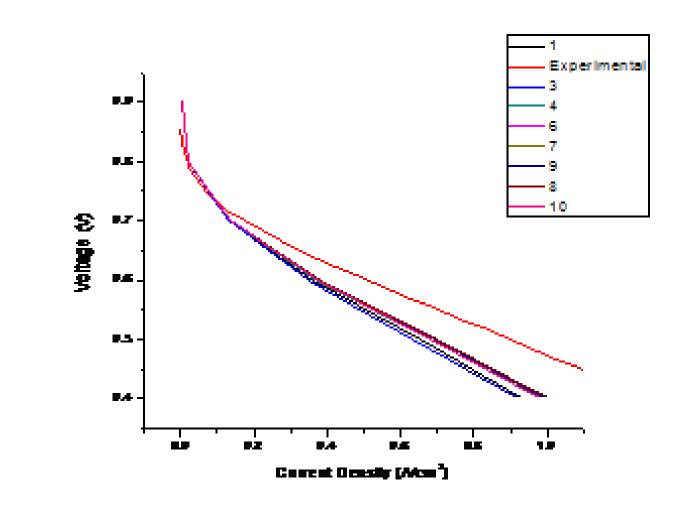


Figure 5. Performance curves for the cases in Table1

Conclusion: The between the gaps contacts reduce the local over potential in

Figure 1. The schematic of PEM fuel cell model with 9 contacts

Computational Methods: Following three are the basis of the study:

1. Mass conservation or continuity equation (applies to the flow field plates, GDL and the catalyst layer)

conservation(Stefan-Maxwell 2. Species diffusion equation)

3. Charge conservation (applied to the GDL, catalyst layer and the membrane)

the electrode reducing the local current density. Reducing the gaps by segmentation reduce this effect. The gaps between the contacts reduce the local over potential in the electrode reducing the local current density. Reducing the gaps by segmentation reduce this effect.

References:

B Viswanathan, M Aulice Scibioh. FUEL CELLS Principles and applications. Chennai: University Press, 2006. Ryan O Hayre, Suk Won Cha, Whitney Collela, Fritz B Prinz. Fuel Cell Fundamentals. New york: John Wiley and sons, 2005. T.S.Zhao, K.D Kreur .Trung Van Nguyen. Advances in Fuel cells. Great Britain: Elsevier, 2007.

Single phase steady state PMFC model is based on the following conservation equations

$$\begin{split} \frac{\partial(\epsilon\rho u)}{\partial t} + \nabla \cdot (\epsilon\rho uu) &= -\epsilon\Delta p + \nabla \cdot (\epsilon\mu^{eff}\Delta u) + \\ \frac{\partial(\rho\epsilon)}{\partial t} + \nabla \cdot (\epsilon\rho u) &= 0 \\ \nabla \cdot (\rho X_{i}u) &= \nabla \cdot \left(\rho \sum_{j=1}^{n-1} D_{ij}^{eff} \nabla X_{j}\right) + S_{i} \\ \nabla \cdot (\sigma^{eff} \nabla \Phi) + S_{\phi} &= 0 \end{split}$$



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