

MULTIPHYSICS MODELING OF A GRAIN STORAGE CHAMBER USING *COMSOL* SOFTWARE

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**COMSOL
CONFERENCE**
2014 BANGALORE

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Aim

Temperature profiles are obtained so that a proper storage chamber for grains can be designed



Retain the quality of grains



Why this problem is chosen?

- **India has become an exporter of good quality food grains very rapidly.**
- **2nd largest rice produced and 3rd highest wheat producing country in world**
- **About 12-16 million metric tons of food grains is lost due to improper storage**
- **Challenging issues**
 - **thermal management**
 - **quality retention**
- **Aim is to develop temperature profiles of grain storage system based on COMSOL software technique**



FACTORS AFFECTING GRAIN LOSSES

- **Moisture**
- **Temperature**
- **Insects and Rodents**
- **Quality before storing**
- **Type of storage bin**
- **Use of pesticides and fumigants**
- **General condition of location of storage**

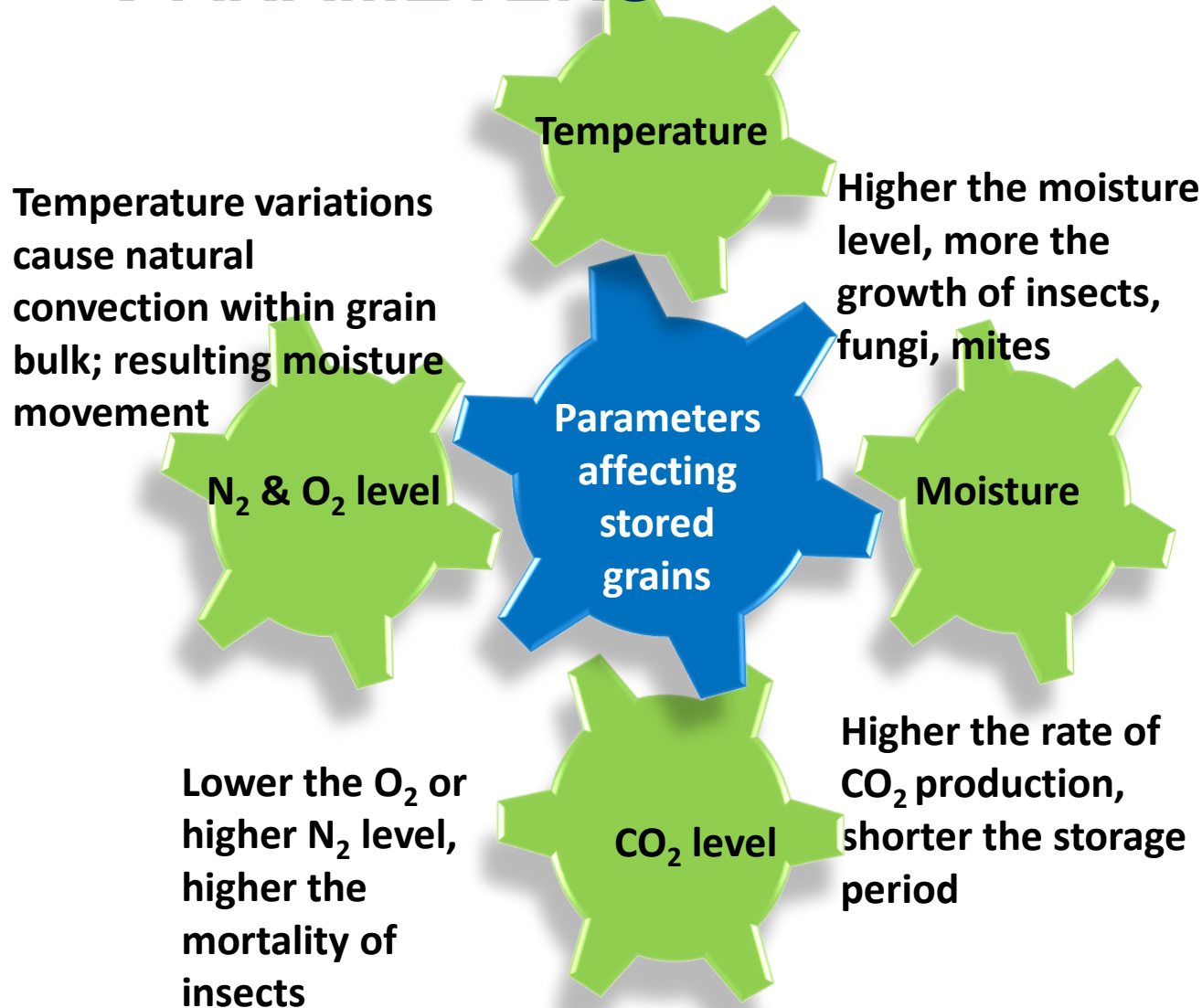


MAJOR QUALITY CHANGES DURING STORAGE

- **Loss/gain of weight**
- **Change of physical appearance**
- **Loss of nutritional/ food value**
- **Loss of culinary properties**
- **Total destruction of grains**



PARAMETERS



HEAT SOURCES

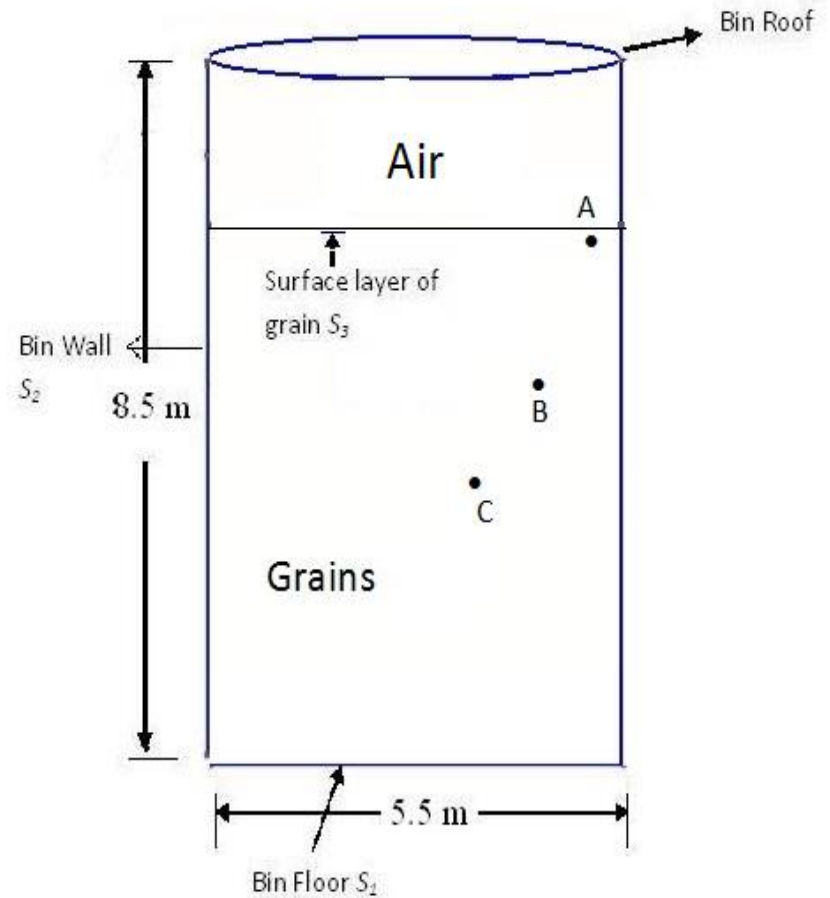
- Changes in storage temperature may occur due to several internal and external reasons.
- Internal sources of heat: respiration of grains, insects, mites etc.
- External sources: changes in ambient temperature, radiation through the bin walls.
- Mathematical modeling and numerical simulations important to predict the temperature & moisture distributions.
- Here only temperature distribution considered
- The transient heat flow due to external sources is modeled using COMSOL multiphysics software.



MODEL OF A STORAGE CHAMBER



Pictorial view of a practical storage chamber



2D Pictorial view of storage chamber

GOVERNING EQUATIONS

- The 2D heat model for grains:

$$\rho_{grain} C_{grain} \frac{\partial T}{\partial t} = \nabla(\kappa_{grain} \nabla T) + Q_r$$

- The 2D heat model for head space:

$$\rho_{air} C_{air} \frac{\partial T}{\partial t} = \nabla(\kappa_{air} \nabla T)$$

- Boundary conditions:

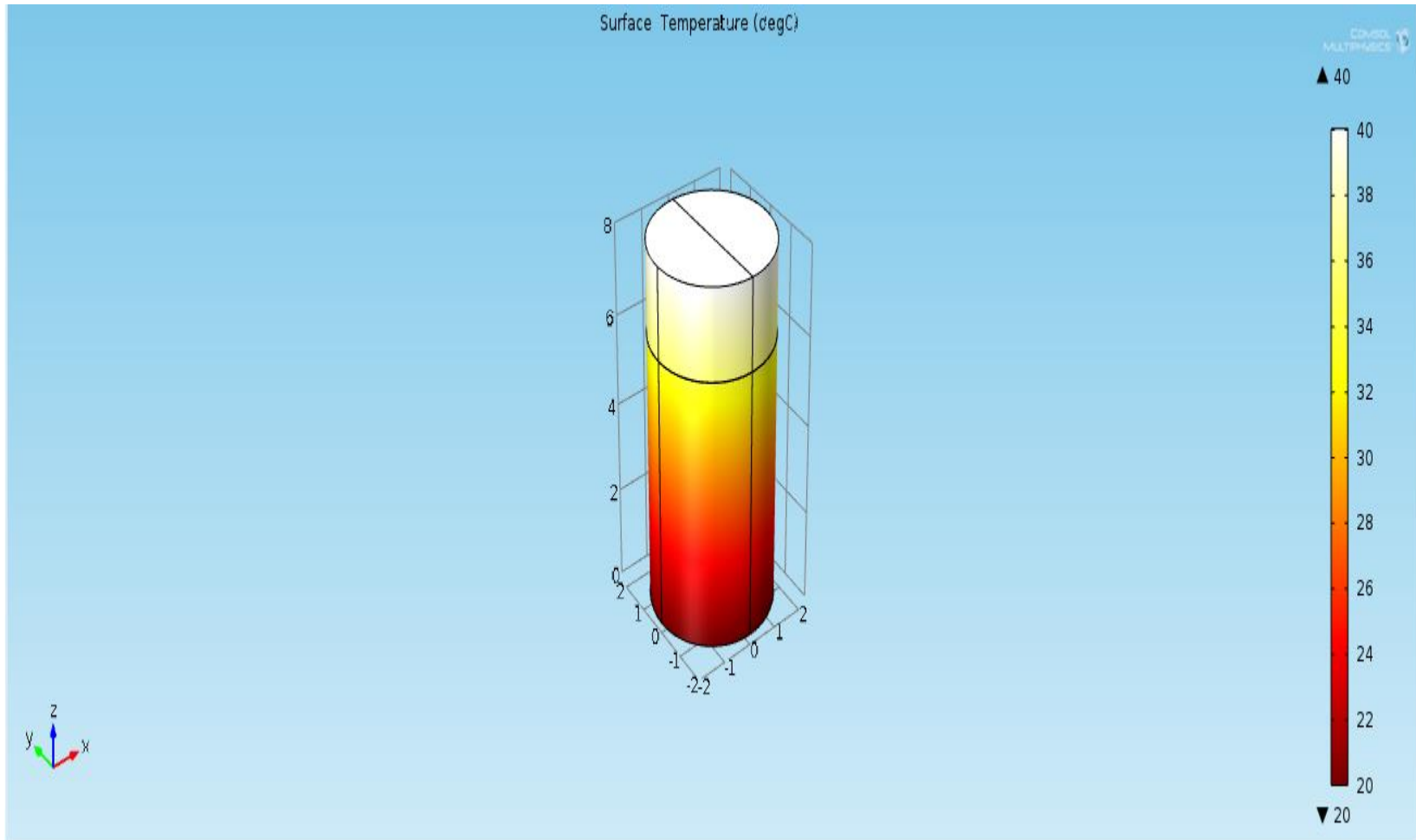
- For S1 layer: $-\kappa_{s1} \frac{\partial T}{\partial n} = h_{s1} (T - T_{s1})$

- For S2 layer: $-\kappa_{s2} \frac{\partial T}{\partial n} = h_{s2} (T - T_{s2}) - q_w$

- For S3 layer: $-\kappa_{s3} \frac{\partial T}{\partial n} = h_{s3} (T - T_{s3}) - q_b$



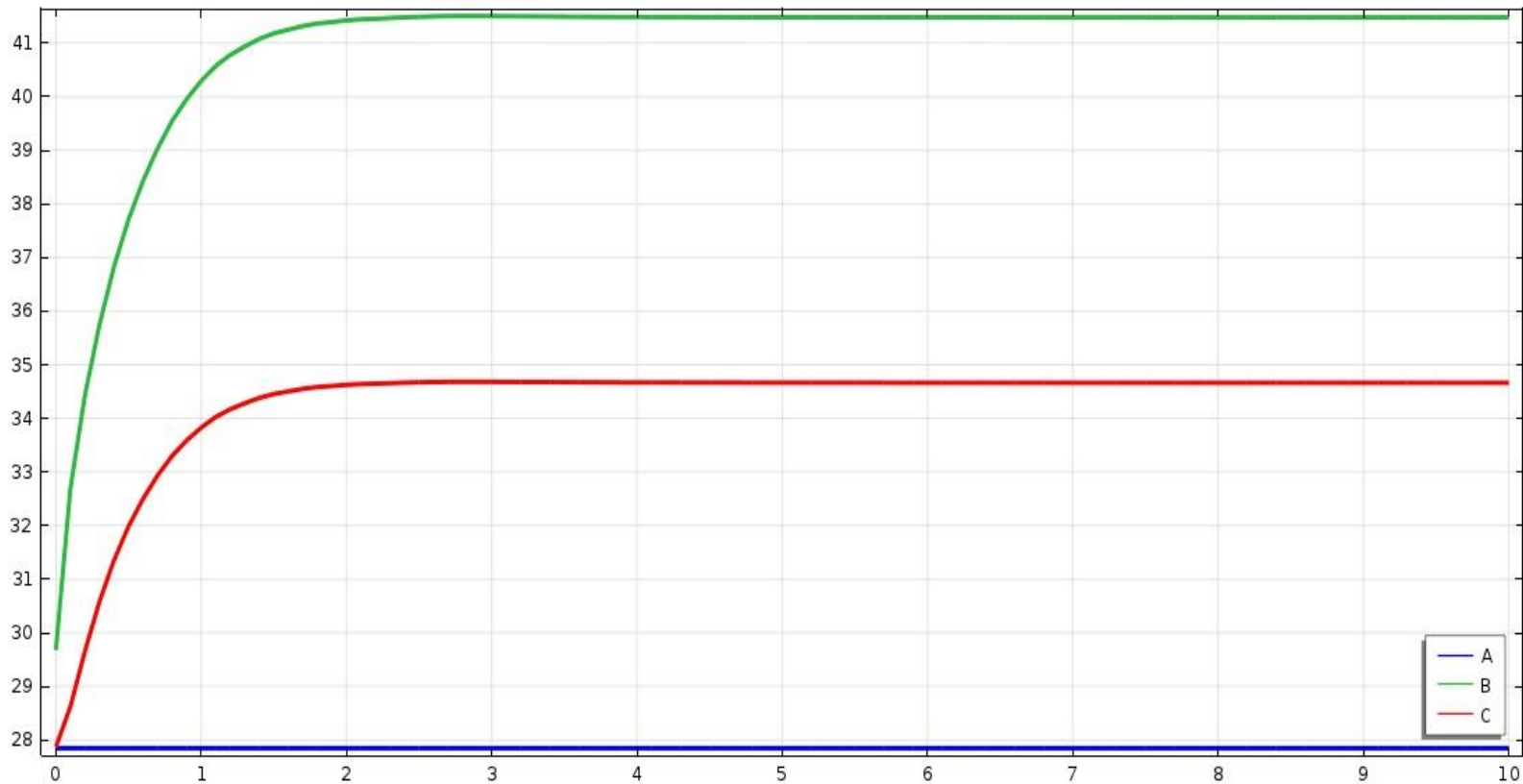
TEMPERATURE DISTRIBUTION (3D)



TEMPERATURE DISTRIBUTION (2D)

Point Graph: Temperature (degC)

COMSOL
MULTIPHYSICS



CONCLUSION

- Modeling strategy of a grain storage system is presented.
- Temperature is taken as variable to be modelled
- The storage system is placed on the ground, boundary s_1 is subjected to only convective heat transfer
- Other boundaries will have both convective as well as radiative heat transfers
- COMSOL software is used for the simulation purpose
- Temperatures at several arbitrarily chosen points are observed
- It is advantageous to have a prior knowledge about the outputs before actually modeling a system



Thanks!

