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Modeling of Retinal Electrical Stimulation Using a Micro Electrode Array Coupled with the Gouy-Chapman Electrical Double Layer Model to Investigate Stimulation Efficiency

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leti



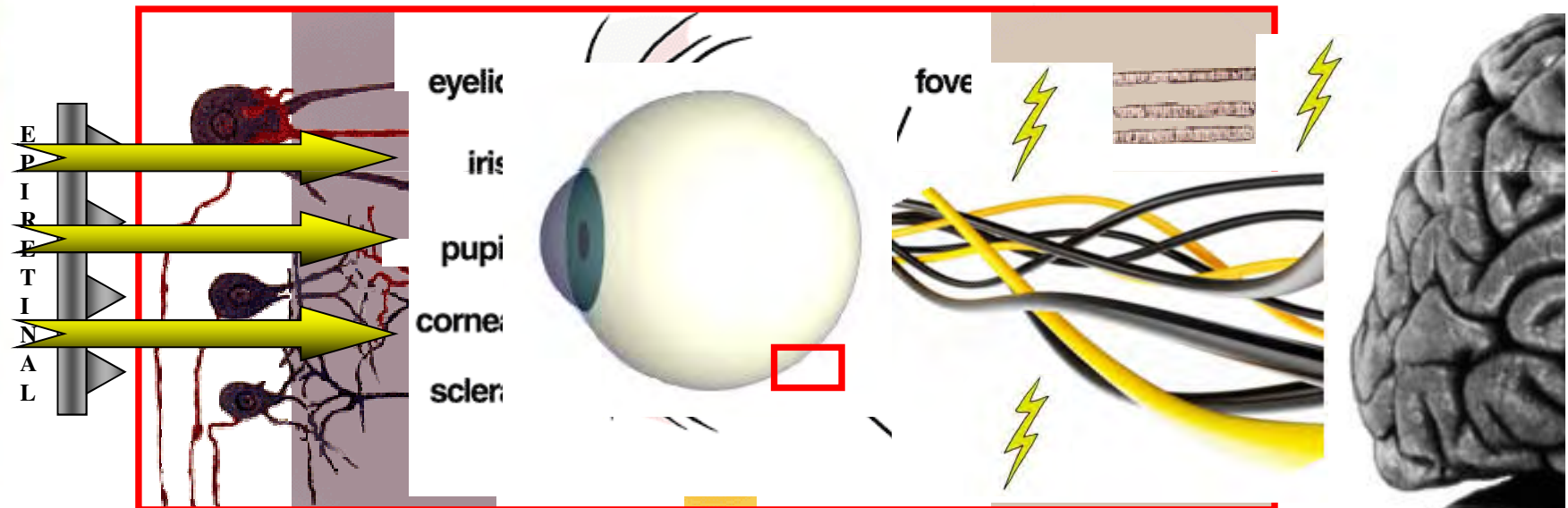
Outline

- ◆ Why electrical stimulation in the eye?
- ◆ Objectives
- ◆ Electrokinetic Equation
- ◆ Validation: Impedance Spectroscopy
- ◆ Hodgkin-Huxley for Retinal Ganglion Cell
- ◆ Looping Fast Fourier Transform in COMSOL
- ◆ Conclusion and Future Work

Why electrical stimulation in the eye ?

Essential and sophisticated transducer

Retinitis Pigmentosa (RP) and Age-Related Macular Degeneration (AMD)



Ganglion Cells (RGC)

Amacrine Cells

Bipolar Cells

Photoreceptors

=> New stimulation target depending on the prosthesis location

Study Objectives

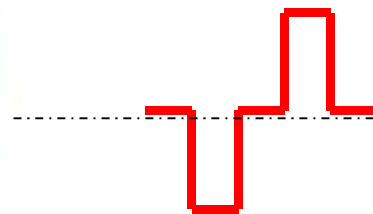
PhD subject: Design of a Programmable Multipoint Stimulation ASIC for Neural Applications

⇒ Safe and Energy Efficient Waveform

⇒ Modeling of Electrode-Retinal Tissue

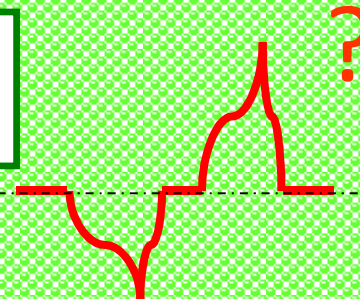


Cells Electrical activity modeling: Hodgkin-Huxley model (Time domain)



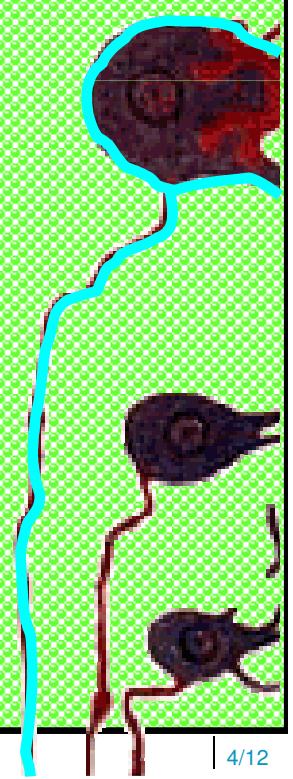
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Electrical Double Layer



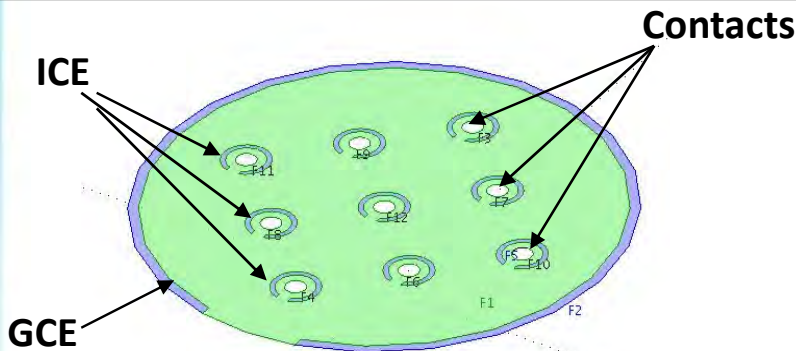
Fast Fourier Transform (FFT & FFT^{-1}) Algorithm

Extra-cellular Medium: Electrokinetic Equation (Complex domain)



Electrokinetic Equation

CEA MEA-RETINE (Micro Electrode Array):
 Nine Platinum Contacts ($\varnothing 35\mu\text{m}$),
 nine Individual Counter Electrodes (ICE)
 and a General Counter Electrode (GCE)



3D geometry => large computation time

EDL Capacitance

$$C_{EDL} = \frac{\epsilon_0 \epsilon_{r_{H_2O}}}{L_{Debye}} \quad \text{Gouy-Chapman Model}$$

$$\vec{\nabla} \cdot (-\sigma^* \vec{\nabla} V_0^*) = 0$$

Linearity hypothesis



Complex domain

$$\sigma^* = \sigma + i\omega\epsilon$$

$$V(t) = V_0^* e^{i\omega t}$$

Boundary Conditions

Homogeneous Neumann

$$-\sigma^* \vec{\nabla} V_0^* \cdot \vec{n} = 0$$

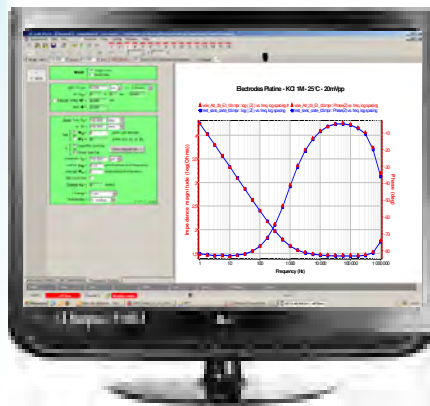
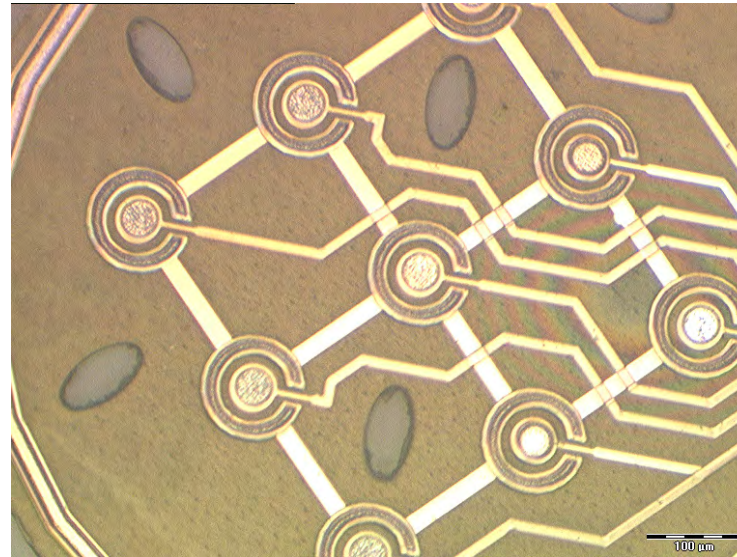
Robin (EDL)

$$-\sigma^* \vec{\nabla} V_0^* \cdot \vec{n} = -i\omega C_{EDL} \Delta V$$

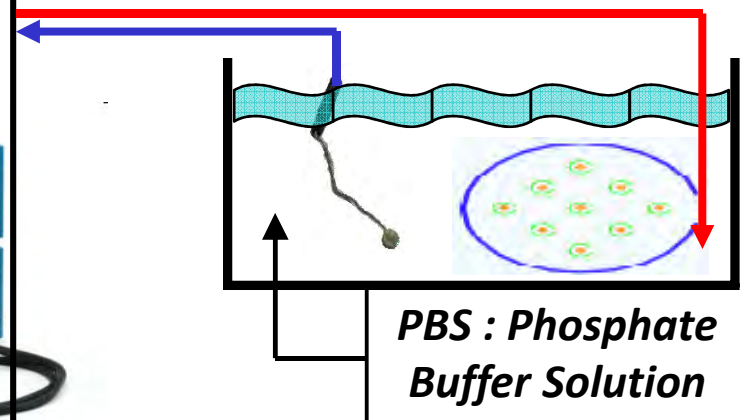
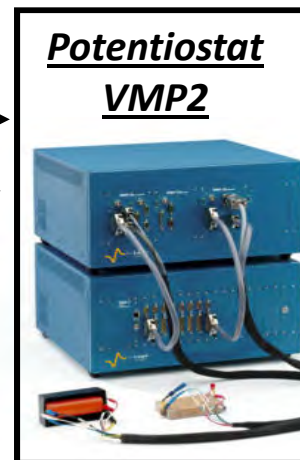
Model Validation: Impedance Spectroscopy

CEA MEA-RETINE

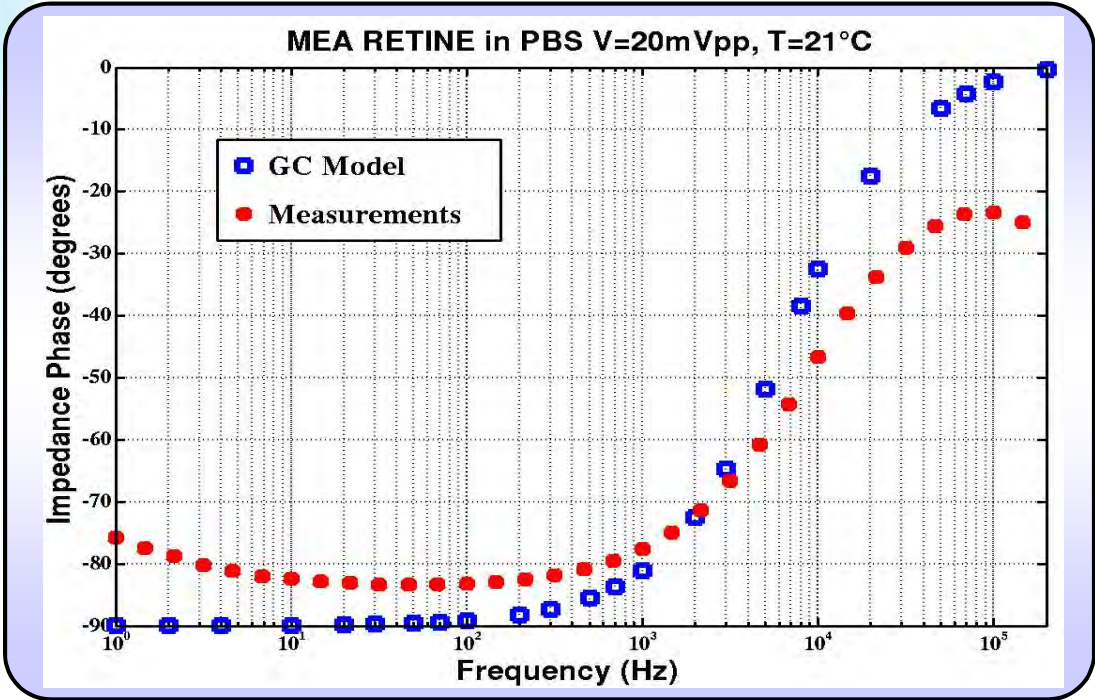
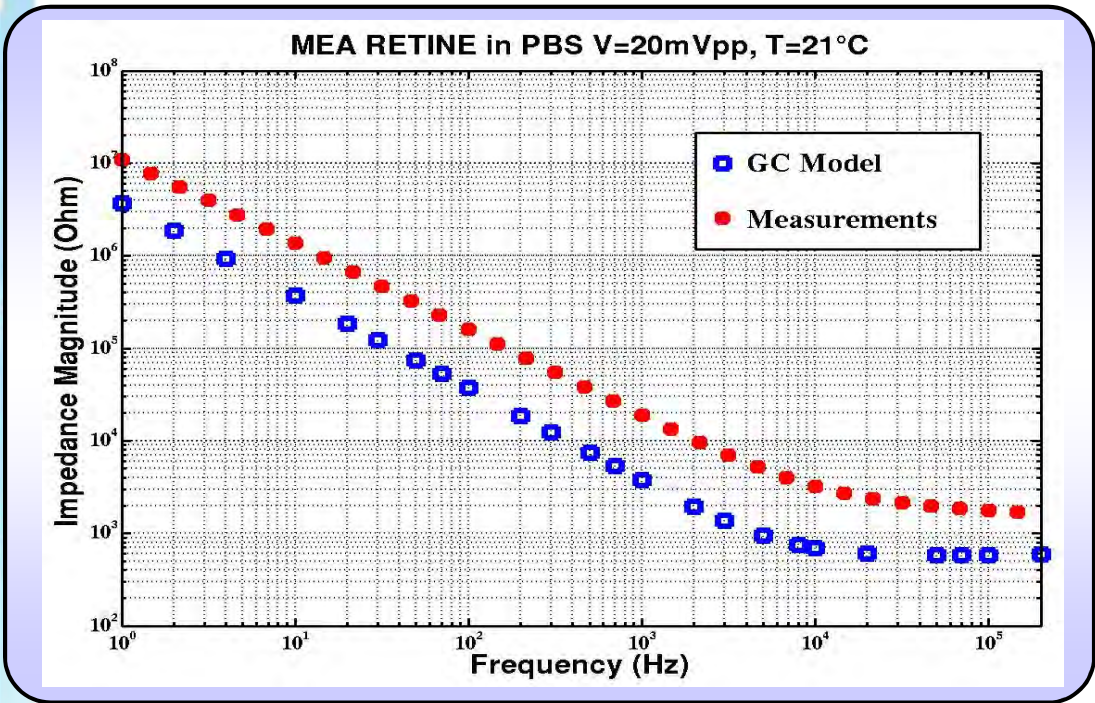
F.Sauter, V.Agache



Frequency Sweep

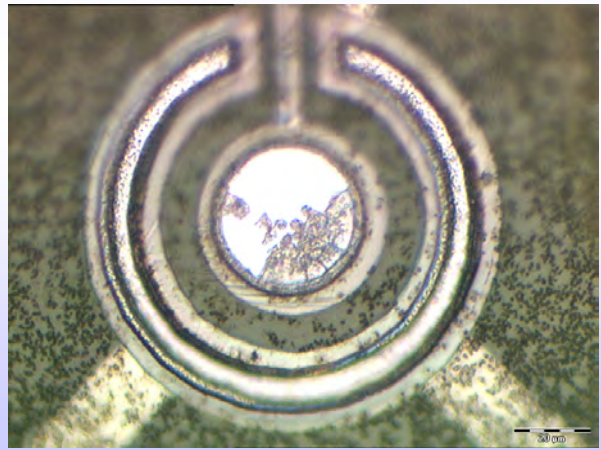


Test setup for characterization

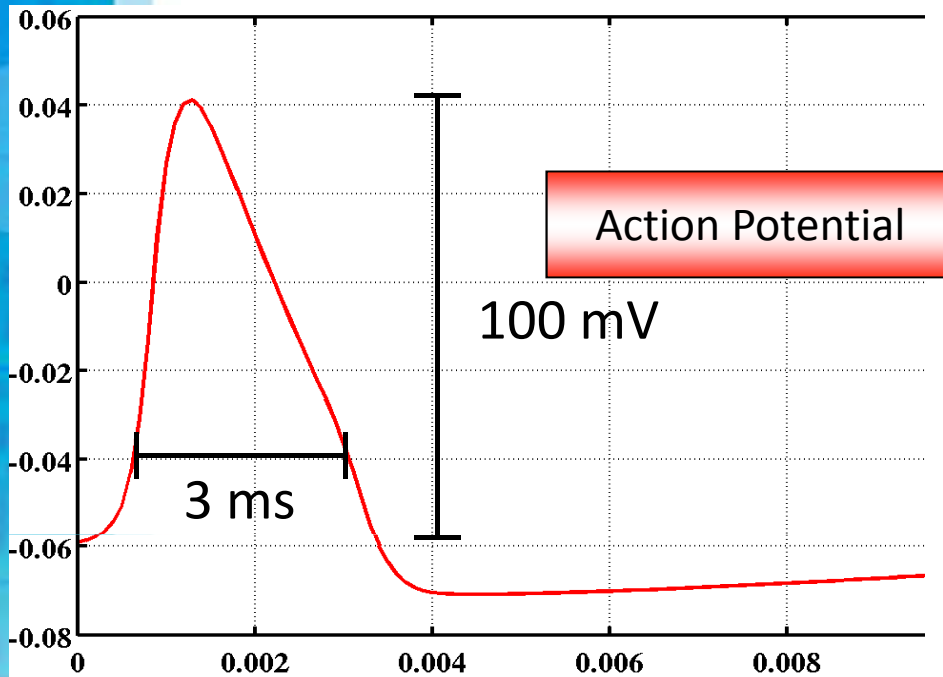


Results

- Behavior similar to RC series
- Etching Process Problem



Cell's response: Time Domain Hodgkin Huxley Model



Transmembrane potential (V_m)

- Rest $V_m = -60/-70\text{mV}$
- Triggering Threshold at $V_m = -50\text{mV}$
- Large amplitude and auto-regenerated

Hodgkin-Huxley (HH) Neuron Electrical Activity Model

$$\frac{a}{2\rho_i} \frac{\partial^2 V_m}{\partial x^2} = C_m \frac{dV_m}{dt} + \bar{g}_{Na} m^3 h (V_m - E_{Na}) + \bar{g}_K n^4 (V_m - E_K) + \bar{g}_L (V_m - E_L)$$

Propagation term + Transmembrane potential temporal equation

$$\frac{dm}{dt} = \alpha_m (1-m) - \beta_m m$$

$$\frac{dh}{dt} = \alpha_h (1-h) - \beta_h h$$

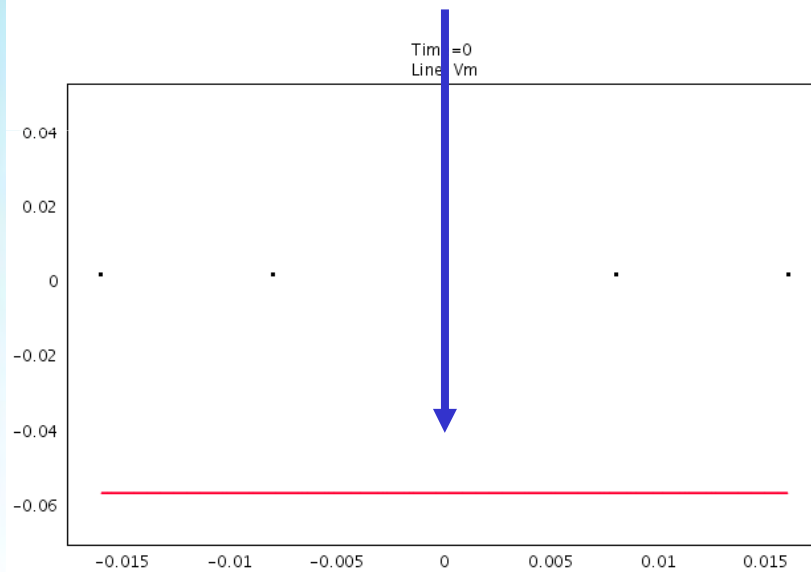
$$\frac{dn}{dt} = \alpha_n (1-n) - \beta_n n$$

Coefficient Temporal Equations

Hodgkin-Huxley Model for RGC

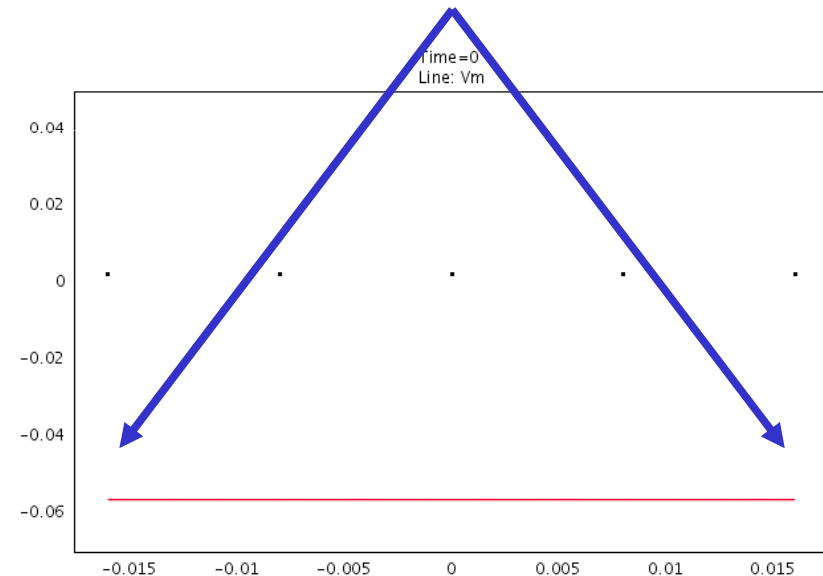
⇒ 1D modeling for the RGC membrane

Stimulation application point



⇒ Creation of action potentials

Stimulation application points

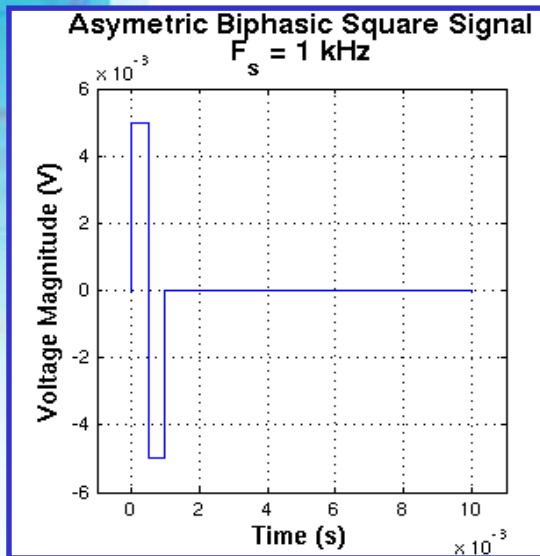
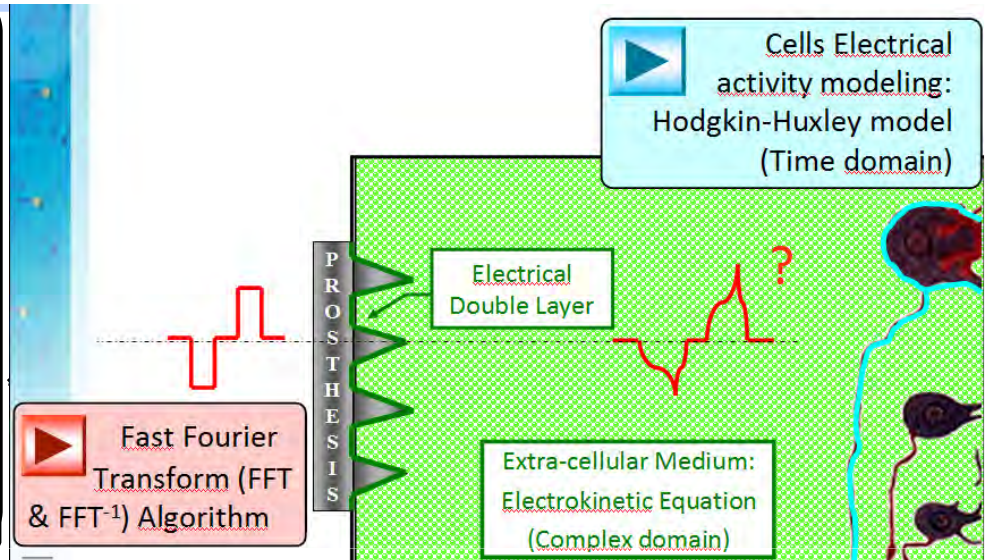


⇒ Inhibition of existing action potentials

Looping Fast Fourier Transform with COMSOL

MATLAB script

- Stimulus creation and sampling
- Fast Fourier Transform
- COMSOL Multiphysics script
- Post-processing



Time domain

FFT⁻¹ Algorithm

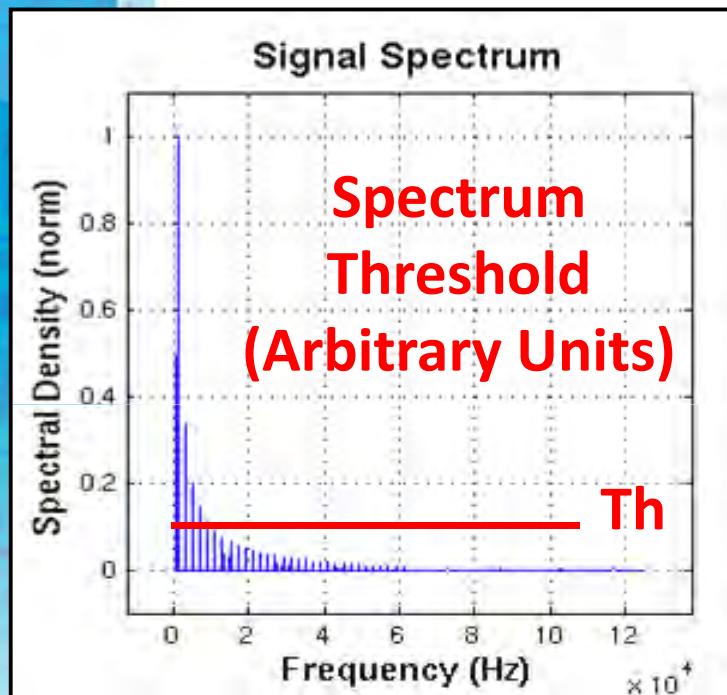
$$x[n] = \frac{1}{N} \sum_{m=0}^{N-1} X[m] e^{-i2\pi m \frac{n}{N}}$$

$$N \equiv 0(2), \quad m \in [0, N-1]$$

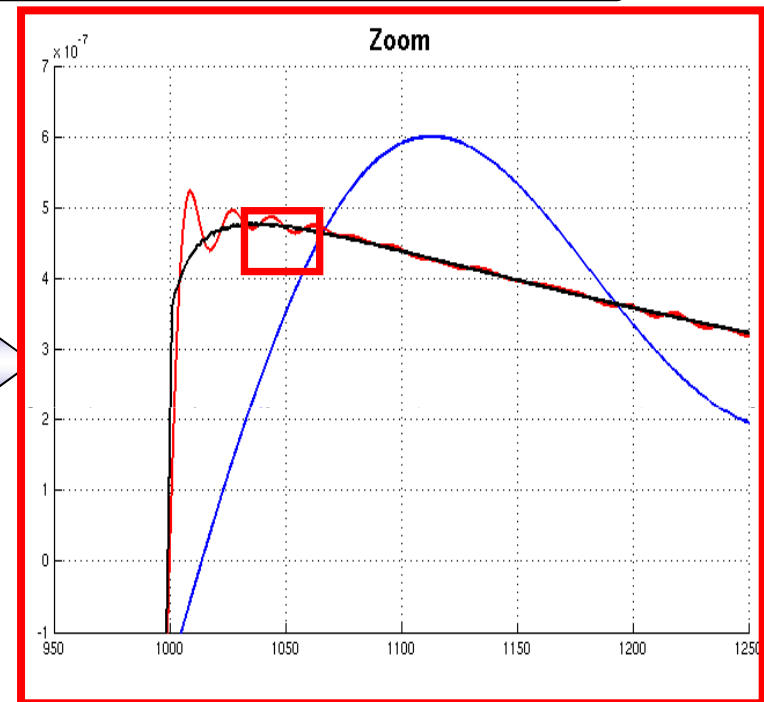
Frequency domain

FFT Optimization

Decreasing the loop number without degrading the signal



FFT⁻¹



- Th = 10^{-6} -> 95% of computation time saved
 - Applicable to different stimuli
- => \approx 90-95% saving in computation time

- Th = 10^{-4} -> 24 harmonics
- Th = $5 \cdot 10^{-6}$ -> 309 harmonics
- Th = 10^{-7} -> 2642 harmonics

Conclusion

- ◆ Modeling used as a prediction tool
- ◆ Coupling FFT (MATLAB) with COMSOL
- ◆ Fast Fourier Transform (FFT)
 - Select data spectrum
 - Reducing the number of harmonics (threshold)
- ◆ Complete numeric FEM Test Framework

Future Work

- ◆ Tests of different waveform/electrode shapes
- ◆ Tests with multi-signal patterns